Cinquante signes

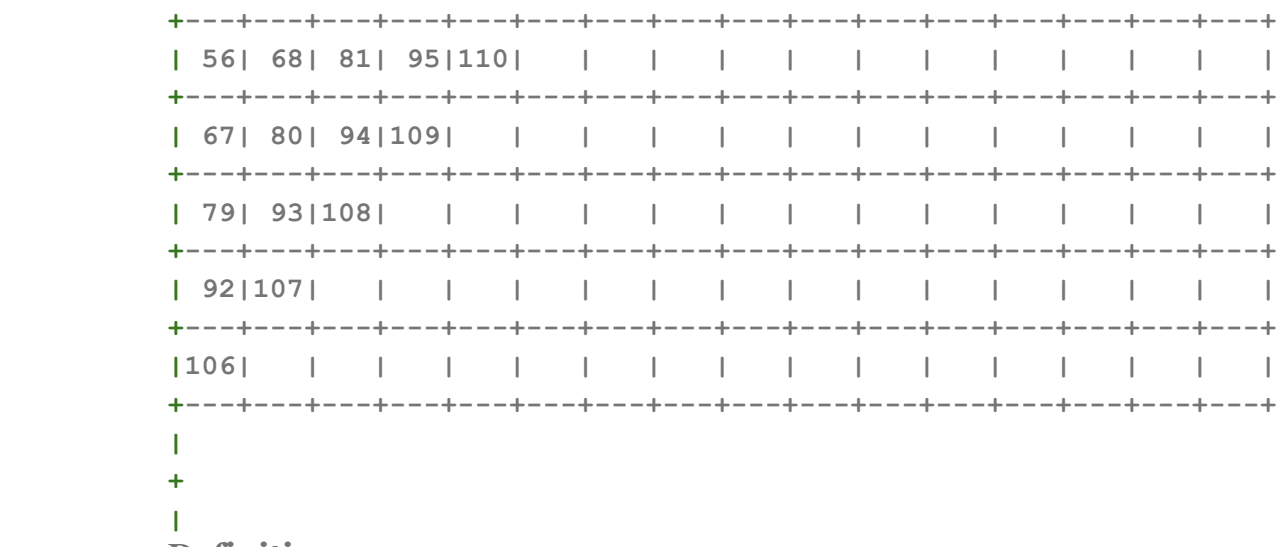
Prime squares and square squares

juin 29, 2020

Hello Math-Fun,
today we'll look for "prime squares" and "square squares".

Definition 1
A "prime square" is a prime which is the sum of 4 integers. Those integers must occupy the 4 vertices of a geometric square formed by 4 cell-centers properly chosen on an infinite grid **A** (the 4 integers hereunder in the upper left corner, for instance, sum up to 11, which is prime).
The type-A infinite grid is an infinite sector of the plane where the cells are labeled by the successive anti-diagonals like below:

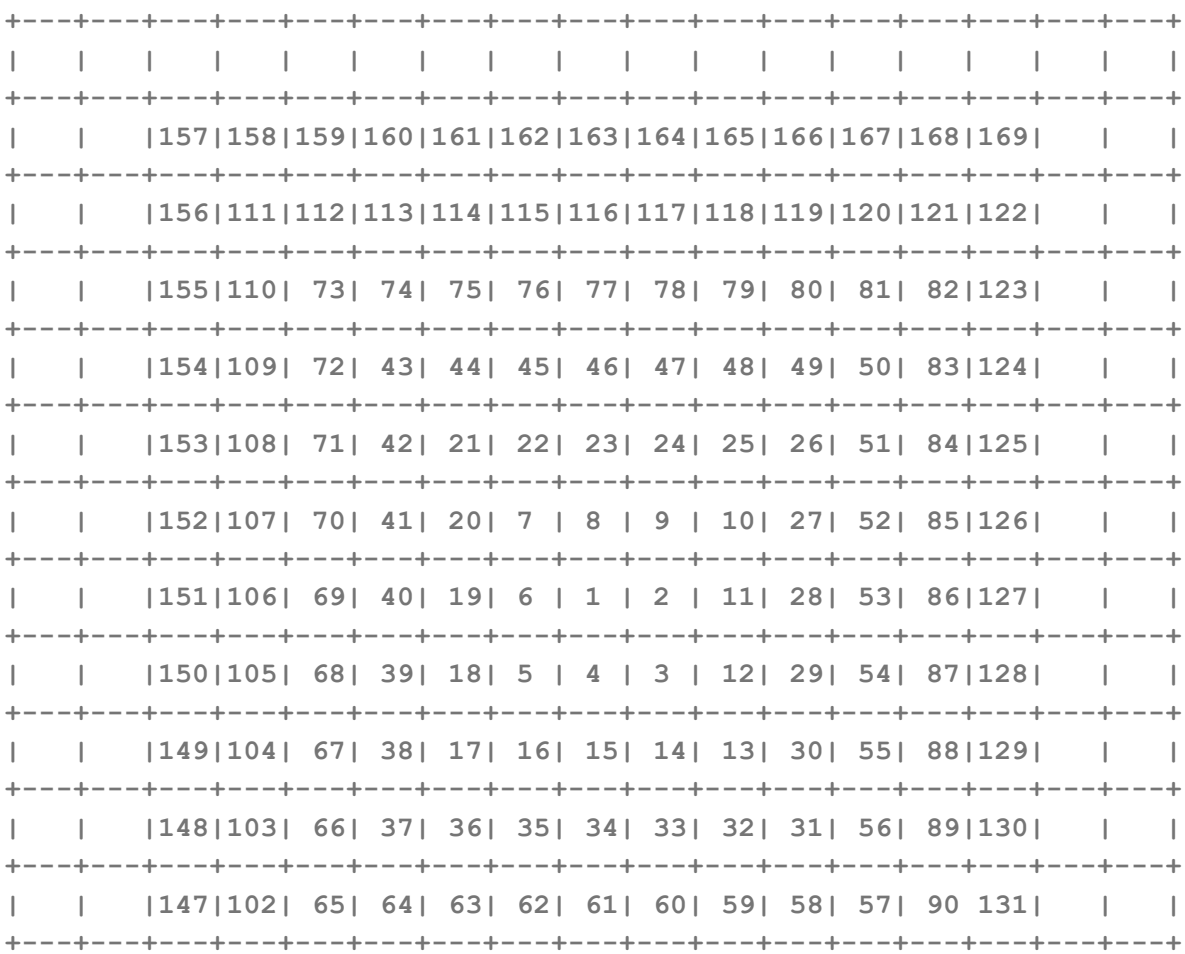
1	3	6	10	15	21	28	36	45	55	66	78	91	105	120		
2	5	9	14	20	27	35	44	54	65	77	90	104	119			
4	8	13	19	26	34	43	53	64	76	89	103	118				
7	12	18	25	33	42	52	63	75	88	102	117					
11	17	24	32	41	51	62	74	87	101	116						
16	23	31	40	50	61	73	86	100	115							
22	30	39	49	60	72	85	99	114								
29	38	48	59	71	84	98	113									
37	47	58	70	83	97	112										
46	57	69	82	96	111											



Definition 2

A "square square" is a square which is the sum of 4 integers. Those integers occupy the 4 vertices of a geometric square formed by 4 cell-centers properly chosen on an infinite grid **B** (the four integers 6, 1, 4 and 5 hereunder sum up to 16, for instance, which is a square).

The type-B grid is produced starting somewhere in the plane with 1 and labeling the successive cells clockwise — like the spiral-path hereunder:



		146	101	100	99	98	97	96	95	94	93	92	91	132		
		145	144	143	142	141	140	139	138	137	136	135	134	133		

An example of *prime square* on the **A** grid is [**1** + **3** + **5** + **2**] = **11**
(the geometric square has side-length = 1):

1	3	6	10	15	21	28	36	45	55	66	78	91	105	120	
2	5	9	14	20	27	35	44	54	65	77	90	104	119		
4	8	13	19	26	34	43	53	64	76	89	103	118			
7	12	18	25	33	42	52	63	75	88	102	117				
11	17	24	32	41	51	62	74	87	101	116					
16	23	31	40	50	61	73	86	100	115						
22	30	39	49	60	72	85	99	114							
29	38	48	59	71	84	98	113								
37	47	58	70	83	97	112									
46	57	69	82	96	111										
56	68	81	95	110											
67	80	94	109												
79	93	108													
92	107														
106															

Another example of *prime square* on the **A** grid is [**3** + **14** + **18** + **4**] = **29**
(the geometric square has side-length = SQR5)

1	3	6	10	15	21	28	36	45	55	66	78	91	105	120	
2	5	9	14	20	27	35	44	54	65	77	90	104	119		

4	8	13	19	26	34	43	53	64	76	89	103	118		
7	12	18	25	33	42	52	63	75	88	102	117			
11	17	24	32	41	51	62	74	87	101	116				
16	23	31	40	50	61	73	86	100	115					
22	30	39	49	60	72	85	99	114						
29	38	48	59	71	84	98	113							
37	47	58	70	83	97	112								
46	57	69	82	96	111									
56	68	81	95	110										
67	80	94	109											
79	93	108												
92	107													
106														

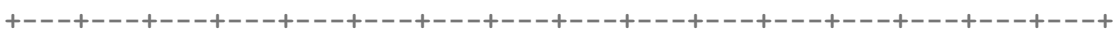
A third example of *prime square* on the **A** grid is [**1** + **10** + **25** + 7] = **43**
(the geometric square has side-length = 3)

1	3	6	10	15	21	28	36	45	55	66	78	91	105	120
2	5	9	14	20	27	35	44	54	65	77	90	104	119	
4	8	13	19	26	34	43	53	64	76	89	103	118		
7	12	18	25	33	42	52	63	75	88	102	117			
11	17	24	32	41	51	62	74	87	101	116				
16	23	31	40	50	61	73	86	100	115					
22	30	39	49	60	72	85	99	114						
29	38	48	59	71	84	98	113							

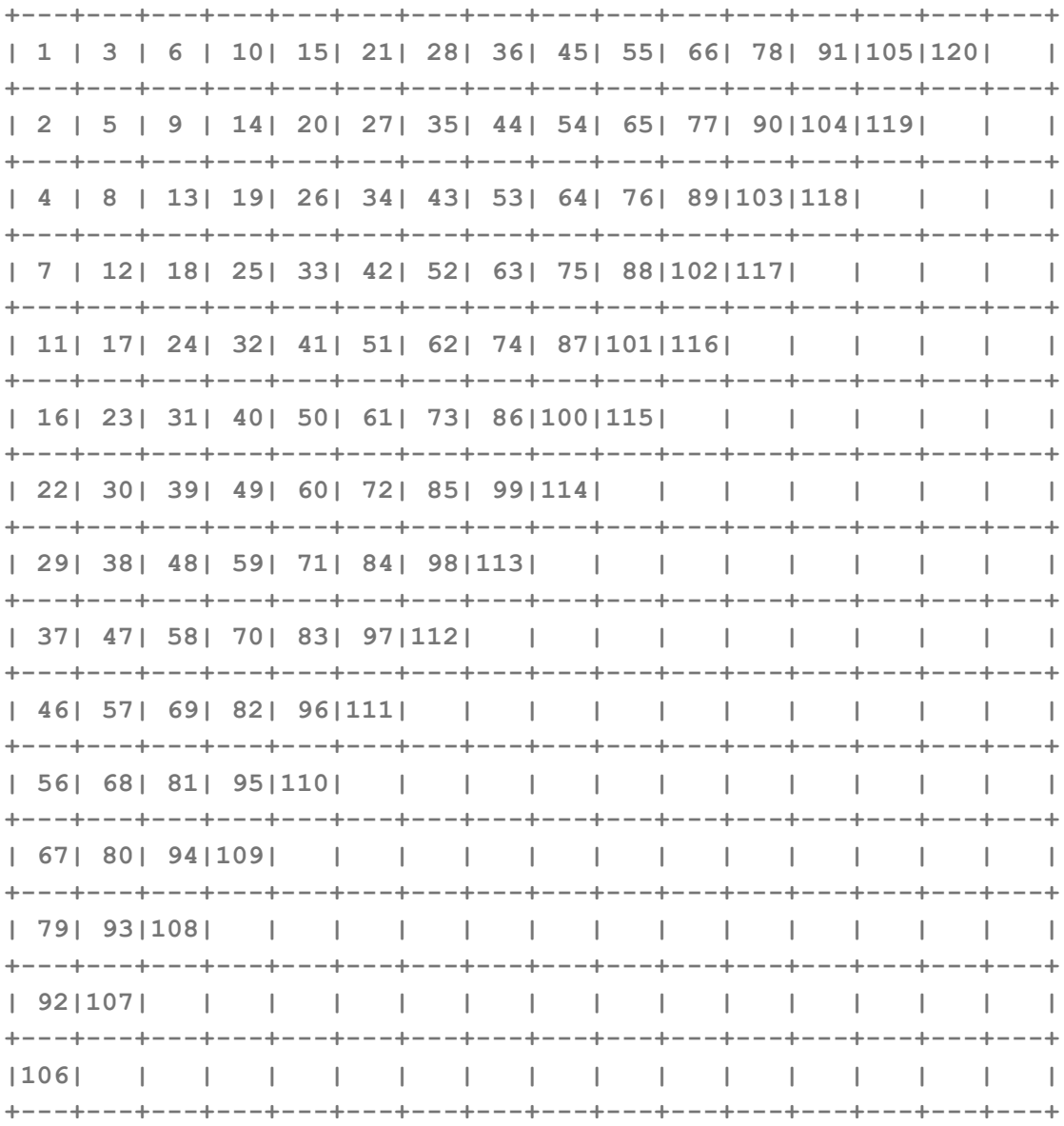
37	47	58	70	83	97	112									
46	57	69	82	96	111										
56	68	81	95	110											
67	80	94	109												
79	93	108													
92	107														
106															

A 4th example of *prime square* on the **A** grid is [**2 + 14 + 32 + 11**] = **59**
(the geometric square has side-length = 3 again)

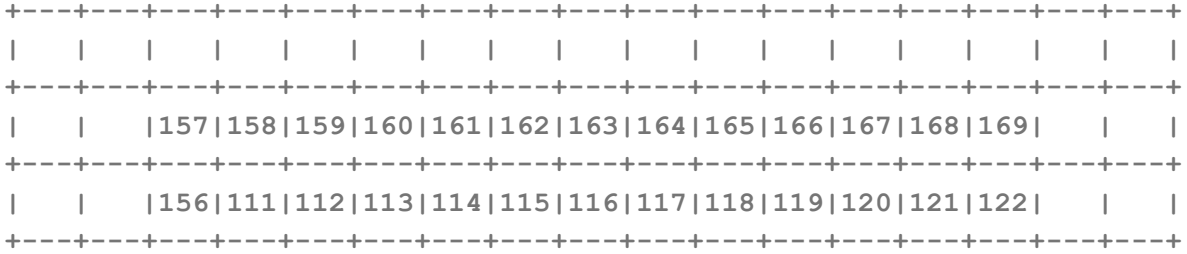
1	3	6	10	15	21	28	36	45	55	66	78	91	105	120	
2	5	9	14	20	27	35	44	54	65	77	90	104	119		
4	8	13	19	26	34	43	53	64	76	89	103	118			
7	12	18	25	33	42	52	63	75	88	102	117				
11	17	24	32	41	51	62	74	87	101	116					
16	23	31	40	50	61	73	86	100	115						
22	30	39	49	60	72	85	99	114							
29	38	48	59	71	84	98	113								
37	47	58	70	83	97	112									
46	57	69	82	96	111										
56	68	81	95	110											
67	80	94	109												
79	93	108													
92	107														
106															



A 5th example of *prime square* on the **A** grid is [**13** + **52** + **84** + **30**] = **179**
(the geometric square has side-length = sqr17)



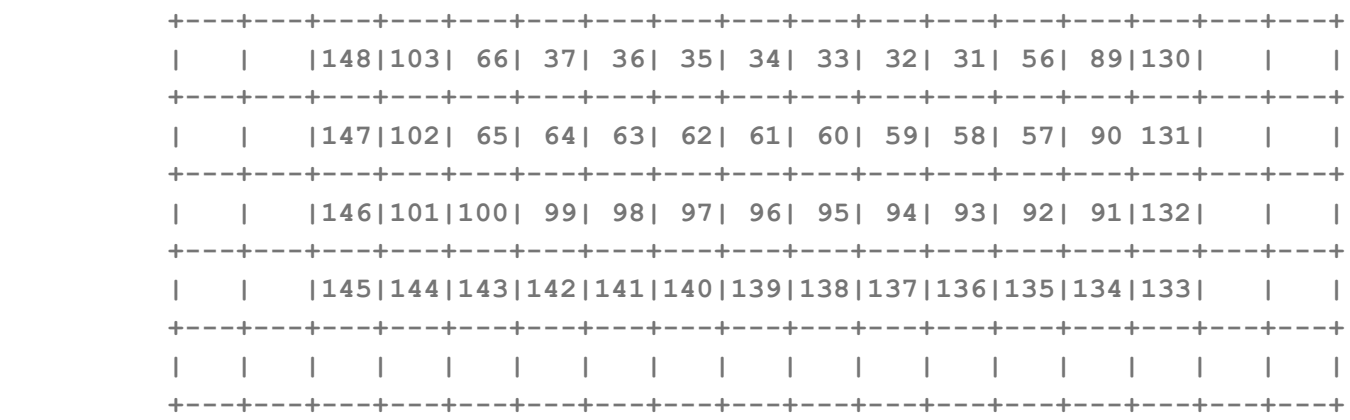
As it is impossible to find any *prime square* on a type-**B** grid, we will look instead for *square squares* like [**6** + **1** + **4** + **5**] = **16** .
(The blue geometric square here has side-length = 1):



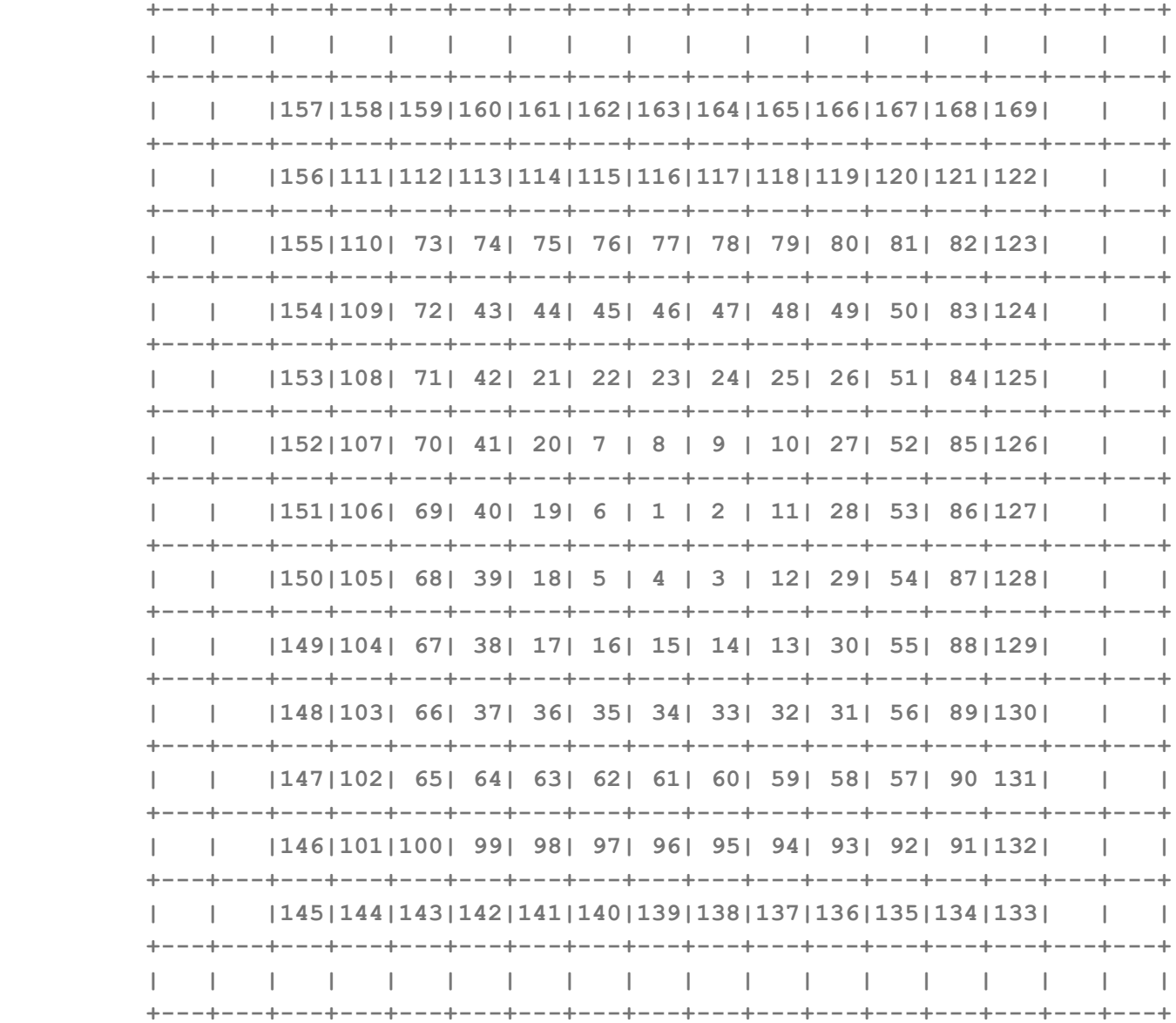
```
|   |   |155|110| 73| 74| 75| 76| 77| 78| 79| 80| 81| 82|123|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |154|109| 72| 43| 44| 45| 46| 47| 48| 49| 50| 83|124|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |153|108| 71| 42| 21| 22| 23| 24| 25| 26| 51| 84|125|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |152|107| 70| 41| 20| 7 | 8 | 9 | 10| 27| 52| 85|126|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |151|106| 69| 40| 19| 6 | 1 | 2 | 11| 28| 53| 86|127|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |150|105| 68| 39| 18| 5 | 4 | 3 | 12| 29| 54| 87|128|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |149|104| 67| 38| 17| 16| 15| 14| 13| 30| 55| 88|129|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |148|103| 66| 37| 36| 35| 34| 33| 32| 31| 56| 89|130|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |147|102| 65| 64| 63| 62| 61| 60| 59| 58| 57| 90 131|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |146|101|100| 99| 98| 97| 96| 95| 94| 93| 92| 91|132|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |145|144|143|142|141|140|139|138|137|136|135|134|133|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
```

Another example of *square square* on the **B** grid is [**46** + **24** + **8** + **22**] = **100** (the geometric square has side-length = SQR2):

```
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |157|158|159|160|161|162|163|164|165|166|167|168|169|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |156|111|112|113|114|115|116|117|118|119|120|121|122|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |155|110| 73| 74| 75| 76| 77| 78| 79| 80| 81| 82|123|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |154|109| 72| 43| 44| 45| 46| 47| 48| 49| 50| 83|124|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |153|108| 71| 42| 21| 22| 23| 24| 25| 26| 51| 84|125|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |152|107| 70| 41| 20| 7 | 8 | 9 | 10| 27| 52| 85|126|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |151|106| 69| 40| 19| 6 | 1 | 2 | 11| 28| 53| 86|127|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |150|105| 68| 39| 18| 5 | 4 | 3 | 12| 29| 54| 87|128|   |   |
+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+---+
|   |   |149|104| 67| 38| 17| 16| 15| 14| 13| 30| 55| 88|129|   |   |
```



A 3rd example of *square square* on the **B** grid is [**1** + **12** + **27** + **24**] = **64**
(thank you **Scott**!) (the geometric square has side-length = SQR5):



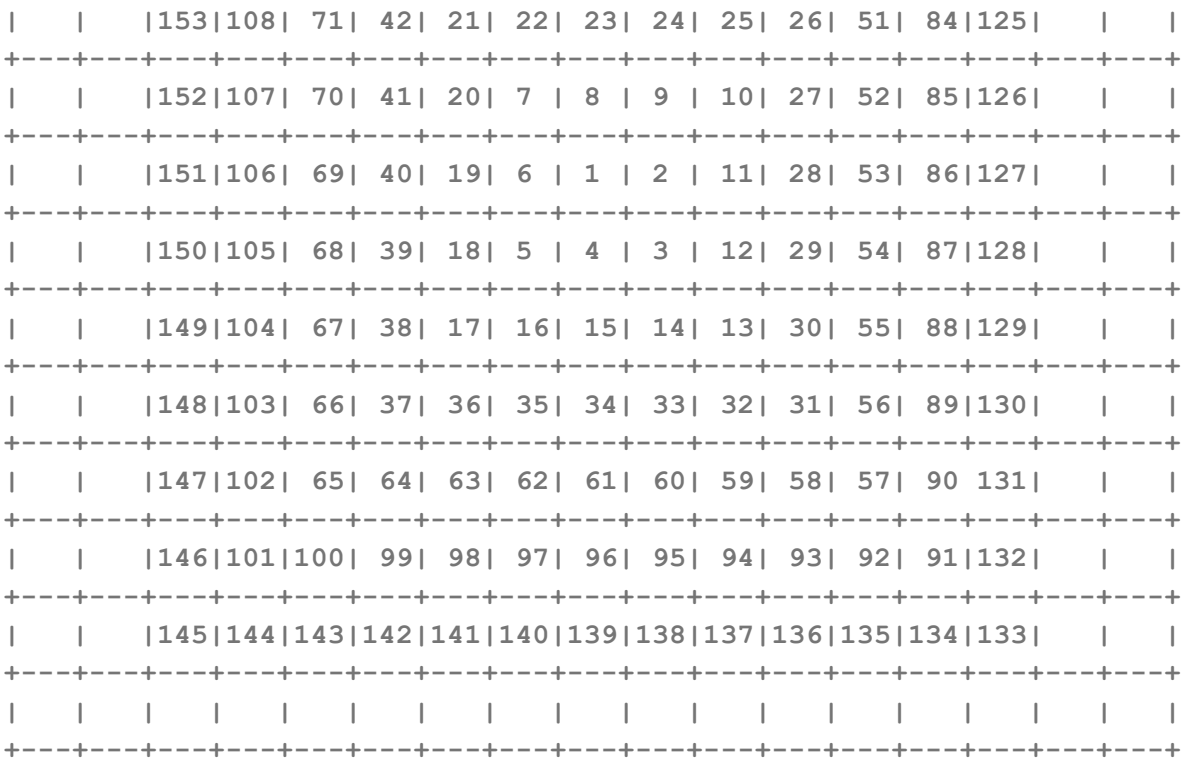
A 4th example of *square square* on the **B** grid is [**1** + **86** + **127** + **116**] = **324**

(thank you again **Scott**!) (the geometric square has side-length = 5):

			157	158	159	160	161	162	163	164	165	166	167	168	169		
			156	111	112	113	114	115	116	117	118	119	120	121	122		
			155	110	73	74	75	76	77	78	79	80	81	82	123		
			154	109	72	43	44	45	46	47	48	49	50	83	124		
			153	108	71	42	21	22	23	24	25	26	51	84	125		
			152	107	70	41	20	7	8	9	10	27	52	85	126		
			151	106	69	40	19	6	1	2	11	28	53	86	127		
			150	105	68	39	18	5	4	3	12	29	54	87	128		
			149	104	67	38	17	16	15	14	13	30	55	88	129		
			148	103	66	37	36	35	34	33	32	31	56	89	130		
			147	102	65	64	63	62	61	60	59	58	57	90	131		
			146	101	100	99	98	97	96	95	94	93	92	91	132		
			145	144	143	142	141	140	139	138	137	136	135	134	133		

A 5th example of *square square* on the **B** grid is [**1 + 41 + 67 + 35**] = **144**
(thank you again **Scott**!) (the geometric square side-length = SQR10):

			157	158	159	160	161	162	163	164	165	166	167	168	169		
			156	111	112	113	114	115	116	117	118	119	120	121	122		
			155	110	73	74	75	76	77	78	79	80	81	82	123		
			154	109	72	43	44	45	46	47	48	49	50	83	124		

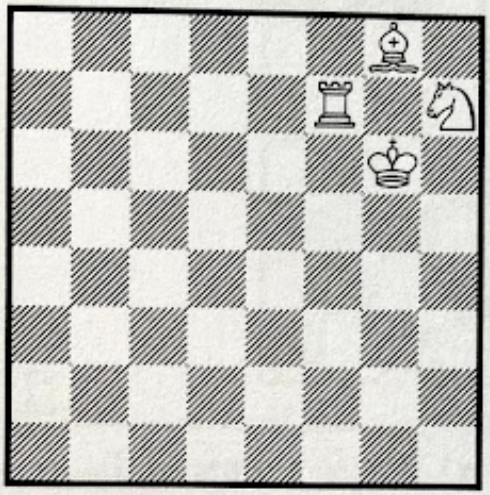


Note that no odd square (like 121, 169 or 2025) is constructible on the above spiral-grid (**B**-type).
And now the **question time**:
(1) Can you illustrate all geometric side-lengths of the *prime squares*? [above, in green, we have the side-lengths 1, $\text{SQR}5$, 3 (twice) and $\text{SQR}17$, for instance].
(2) Can you find all the *square squares* constructible on a type-**B** grid?

Remarks:
In the same spirit, we could look for "triangular squares" on both grids (The first triangular numbers are visible here, in the OEIS:
0, 1, 3, 6, 10, 15, 21, 28, 36, 45, 55, 66, 78, 91, 105, 120, 136, 153, 171, 190, 210, 231, 253, 276, 300, 325, 351, 378, 406, 435, 465, 496, 528, 561, 595, 630, 666, 703, 741, 780, 820, 861, 903, 946, 990, 1035, 1081, 1128, 1176,...)

The idea expressed in this page came from three sources:
— **Werner Keym**'s last book
— This recent video by *Numberphile* on YouTube
— This sequence of the OEIS ("numbers that are the sum of two squares"):
0, 1, 2, 4, 5, 8, 9, 10, 13, 16, 17, 18, 20, 25, 26, 29, 32, 34, 36, 37, 40, 41, 45, 49, 50, 52, 53, 58, 61, 64, 65, 68, 72, 73, 74, 80, 81, 82, 85, 89, 90, 97, 98, 100, 101, 104, 106, 109, 113, 116, 117, 121, 122, 125, 128, 130, 136, 137, 144, 145, 146, 148, 149, 153, 157, 160,...

No. 337
Werner Keym
Die Schwalbe 1993
2nd Prize



The centers of the squares occupied by the four pieces are the corners of a square (f7-g8-h7-g6). How can you form 12 squares varying in size in 36 moves and return to the initial square (f7-g8-h7-g6) in the 36th move?

Best,
É.

Update, July 3rd, 2020

Scott R. Shannon was quick to compute a few (!) *square squares* on the B-grid (the "spiral") – here is what he e-mailed me:
> Below are results for 'square square' , with 1 always in corner, for x and y offset up to 5000. Note that because the x offset and the y offset can be up to 5000 it means the size of the top of the square can be up to sqrt(2)*5000. Also note that my spiral goes anticlockwise so you will need to flip top to bottom when looking for these numbers on the

spiral drawn on your webpage.

Startcorner = 1 xOff = 2 yOff = -1 1:12:27:24 -> 64
Startcorner = 1 xOff = 3 yOff = 3 1:49:163:43 -> 256 (diagonal)
Startcorner = 1 xOff = 5 yOff = 0 1:86:121:116 -> 324
Startcorner = 1 xOff = 12 yOff = 6 1:535:1357:607 -> 2500
Startcorner = 1 xOff = 13 yOff = 5 1:633:1359:711 -> 2704
Startcorner = 1 xOff = 16 yOff = -16 1:993:4001:1089 -> 6084
Startcorner = 1 xOff = 20 yOff = -10 1:1551:3501:1671 -> 6724
Startcorner = 1 xOff = 23 yOff = -7 1:2055:3495:2193 -> 7744
Startcorner = 1 xOff = 31 yOff = -1 1:3753:3971:3939 -> 11664
Startcorner = 1 xOff = 32 yOff = 32 1:4225:16577:4161 -> 24964 (diagonal)
Startcorner = 1 xOff = 45 yOff = 3 1:7963:9403:8233 -> 25600
Startcorner = 1 xOff = 51 yOff = -27 1:10279:24079:10585 -> 44944
Startcorner = 1 xOff = 54 yOff = 33 1:11470:30559:11794 -> 53824
Startcorner = 1 xOff = 60 yOff = -18 1:14239:24061:14599 -> 52900
Startcorner = 1 xOff = 61 yOff = 59 1:14643:57963:15009 -> 87616
Startcorner = 1 xOff = 62 yOff = -55 1:15246:54399:15618 -> 85264
Startcorner = 1 xOff = 69 yOff = 18 1:18820:30589:19234 -> 68644
Startcorner = 1 xOff = 70 yOff = -43 1:19434:50711:19854 -> 90000
Startcorner = 1 xOff = 72 yOff = 0 1:20521:21025:20953 -> 62500
Startcorner = 1 xOff = 74 yOff = -31 1:21714:43743:22158 -> 87616
Startcorner = 1 xOff = 75 yOff = -30 1:22306:43741:22756 -> 88804
Startcorner = 1 xOff = 78 yOff = 69 1:24034:86887:24502 -> 135424
Startcorner = 1 xOff = 85 yOff = 50 1:28596:73341:29106 -> 131044
Startcorner = 1 xOff = 91 yOff = -22 1:32874:50669:33420 -> 116964
Startcorner = 1 xOff = 99 yOff = -90 1:38998:142309:39592 -> 220900
Startcorner = 1 xOff = 105 yOff = 57 1:43729:105511:44359 -> 193600
Startcorner = 1 xOff = 106 yOff = 29 1:44598:73383:45234 -> 163216
Startcorner = 1 xOff = 107 yOff = -10 1:45486:54309:46128 -> 145924
Startcorner = 1 xOff = 112 yOff = 8 1:49833:58065:50505 -> 158404
Startcorner = 1 xOff = 122 yOff = 53 1:59118:123095:59850 -> 242064
Startcorner = 1 xOff = 124 yOff = 38 1:61095:105549:61839 -> 228484
Startcorner = 1 xOff = 125 yOff = 50 1:62076:123101:62826 -> 248004
Startcorner = 1 xOff = 126 yOff = 63 1:63064:143515:63820 -> 270400
Startcorner = 1 xOff = 127 yOff = -121 1:64257:245267:65019 -> 374544
Startcorner = 1 xOff = 128 yOff = 84 1:65069:180457:65837 -> 311364
Startcorner = 1 xOff = 133 yOff = 14 1:70344:86997:71142 -> 228484
Startcorner = 1 xOff = 140 yOff = -118 1:78099:265461:78939 -> 422500
Startcorner = 1 xOff = 141 yOff = 48 1:79054:143545:79900 -> 302500
Startcorner = 1 xOff = 152 yOff = -100 1:92061:253209:92973 -> 438244
Startcorner = 1 xOff = 157 yOff = 80 1:98046:225465:98988 -> 422500
Startcorner = 1 xOff = 158 yOff = -157 1:99540:395955:100488 -> 595984
Startcorner = 1 xOff = 163 yOff = -102 1:105890:280045:106868 -> 492804
Startcorner = 1 xOff = 163 yOff = -94 1:105882:263357:106860 -> 476100
Startcorner = 1 xOff = 164 yOff = 138 1:106955:365749:107939 -> 580644
Startcorner = 1 xOff = 173 yOff = 39 1:119159:180547:120197 -> 419904

Startcorner = 1 xOff = 174 yOff = -15 1:120598:142159:121642 -> 384400
Startcorner = 1 xOff = 178 yOff = 59 1:126144:225507:127212 -> 478864
Startcorner = 1 xOff = 181 yOff = 158 1:130344:460725:131430 -> 722500
Startcorner = 1 xOff = 189 yOff = 174 1:142144:528181:143278 -> 813604
Startcorner = 1 xOff = 190 yOff = -93 1:143924:319411:145064 -> 608400
Startcorner = 1 xOff = 195 yOff = -192 1:151708:597913:152878 -> 902500
Startcorner = 1 xOff = 197 yOff = 6 1:154640:165637:155822 -> 476100
Startcorner = 1 xOff = 202 yOff = -55 1:162666:263279:163878 -> 589824
Startcorner = 1 xOff = 206 yOff = 5 1:169122:178919:170358 -> 518400
Startcorner = 1 xOff = 207 yOff = -45 1:170821:253099:172063 -> 595984
Startcorner = 1 xOff = 211 yOff = -72 1:177524:319369:178790 -> 675684
Startcorner = 1 xOff = 214 yOff = -51 1:182594:279943:183878 -> 646416
Startcorner = 1 xOff = 221 yOff = 143 1:194559:531155:195885 -> 921600
Startcorner = 1 xOff = 231 yOff = -27 1:212779:265279:214165 -> 692224
Startcorner = 1 xOff = 232 yOff = -16 1:214617:245057:216009 -> 675684
Startcorner = 1 xOff = 234 yOff = 159 1:218164:619051:219568 -> 1056784
Startcorner = 1 xOff = 243 yOff = -207 1:235675:808615:237133 -> 1281424
Startcorner = 1 xOff = 250 yOff = -205 1:249456:826691:250956 -> 1327104
Startcorner = 1 xOff = 266 yOff = -181 1:282408:797811:284004 -> 1364224
Startcorner = 1 xOff = 269 yOff = 33 1:288605:365959:290219 -> 944784
Startcorner = 1 xOff = 282 yOff = 231 1:317020:1054267:318712 -> 1690000
Startcorner = 1 xOff = 283 yOff = -144 1:319652:727897:321350 -> 1368900
Startcorner = 1 xOff = 292 yOff = 158 1:340023:811485:341775 -> 1493284
Startcorner = 1 xOff = 296 yOff = 68 1:349509:531305:351285 -> 1232100
Startcorner = 1 xOff = 299 yOff = -16 1:356724:395673:358518 -> 1110916
Startcorner = 1 xOff = 306 yOff = 33 1:373594:460975:375430 -> 1210000
Startcorner = 1 xOff = 317 yOff = 138 1:400868:829645:402770 -> 1633284
Startcorner = 1 xOff = 319 yOff = 319 1:408321:1630091:407683 -> 2446096 (diagonal)
Startcorner = 1 xOff = 322 yOff = -105 1:413876:727819:415808 -> 1557504
Startcorner = 1 xOff = 323 yOff = -10 1:416358:442245:418296 -> 1276900
Startcorner = 1 xOff = 325 yOff = 68 1:421458:619233:423408 -> 1464100
Startcorner = 1 xOff = 326 yOff = 129 1:423998:829663:425954 -> 1679616
Startcorner = 1 xOff = 333 yOff = 210 1:442348:1181149:444346 -> 2067844
Startcorner = 1 xOff = 334 yOff = 29 1:445194:528471:447198 -> 1420864
Startcorner = 1 xOff = 339 yOff = -225 1:458893:1270579:460927 -> 2190400
Startcorner = 1 xOff = 345 yOff = 105 1:474961:811591:477031 -> 1763584
Startcorner = 1 xOff = 349 yOff = 344 1:485814:1923081:487908 -> 2896804
Startcorner = 1 xOff = 350 yOff = -7 1:488958:508383:491058 -> 1488400
Startcorner = 1 xOff = 352 yOff = -336 1:494897:1891297:497009 -> 2883204
Startcorner = 1 xOff = 352 yOff = -156 1:494717:1030537:496829 -> 2022084
Startcorner = 1 xOff = 365 yOff = 305 1:531501:1797671:533691 -> 2862864
Startcorner = 1 xOff = 366 yOff = -21 1:534748:597571:536944 -> 1669264
Startcorner = 1 xOff = 367 yOff = -141 1:537797:1030507:539999 -> 2108304
Startcorner = 1 xOff = 368 yOff = -220 1:540813:1381065:543021 -> 2464900
Startcorner = 1 xOff = 371 yOff = -322 1:549774:1918869:552000 -> 3020644
Startcorner = 1 xOff = 371 yOff = -76 1:549528:797601:551754 -> 1898884
Startcorner = 1 xOff = 372 yOff = 258 1:552163:1589605:554395 -> 2696164

```
Startcorner = 1  xOff = 392  yOff = -316   1:613797:2002857:616149 ->  3232804
Startcorner = 1  xOff = 399  yOff = -237   1:635845:1615915:638239 ->  2890000
Startcorner = 1  xOff = 403  yOff = -52   1:648480:826385:650898 ->  2125764
Startcorner = 1  xOff = 404  yOff = -46   1:651699:808293:654123 ->  2114116
Startcorner = 1  xOff = 412  yOff = -286   1:678027:1946597:680499 ->  3305124
Startcorner = 1  xOff = 420  yOff = 378   1:703963:2549653:706483 ->  3960100
Startcorner = 1  xOff = 421  yOff = 284   1:707418:1990353:709944 ->  3407716
Startcorner = 1  xOff = 431  yOff = -277   1:742029:2002779:744615 ->  3489424
Startcorner = 1  xOff = 432  yOff = 180   1:745021:1500265:747613 ->  2992900
Startcorner = 1  xOff = 432  yOff = 348   1:744853:2436025:747445 ->  3928324
Startcorner = 1  xOff = 433  yOff = 179   1:748479:1500267:751077 ->  2999824
Startcorner = 1  xOff = 434  yOff = -1   1:752124:755163:754728 ->  2262016
Startcorner = 1  xOff = 438  yOff = 105   1:765958:1181359:768586 ->  2715904
Startcorner = 1  xOff = 442  yOff = -255   1:780386:1940959:783038 ->  3504384
Startcorner = 1  xOff = 451  yOff = -372   1:812624:2706769:815330 ->  4334724
Startcorner = 1  xOff = 453  yOff = 24   1:819454:911977:822172 ->  2553604
Startcorner = 1  xOff = 453  yOff = 60   1:819418:1054609:822136 ->  2696164
Startcorner = 1  xOff = 456  yOff = 204   1:830173:1744633:832909 ->  3407716
Startcorner = 1  xOff = 457  yOff = 413   1:833613:3030255:836355 ->  4700224
Startcorner = 1  xOff = 464  yOff = -100   1:859893:1270329:862677 ->  2992900
Startcorner = 1  xOff = 464  yOff = 224   1:859569:1895681:862353 ->  3617604
Startcorner = 1  xOff = 467  yOff = -256   1:871212:2088537:874014 ->  3833764
Startcorner = 1  xOff = 467  yOff = -121   1:871077:1380867:873879 ->  3125824
Startcorner = 1  xOff = 473  yOff = 405   1:893093:3086239:895931 ->  4875264
Startcorner = 1  xOff = 475  yOff = -232   1:901308:1997033:904158 ->  3802500
Startcorner = 1  xOff = 476  yOff = 294   1:904583:2374093:907439 ->  4186116
Startcorner = 1  xOff = 477  yOff = 183   1:908503:1744675:911365 ->  3564544
Startcorner = 1  xOff = 504  yOff = -132   1:1014685:1615705:1017709 ->  3648100
(...)
Process finished with exit code 0
```

Merci et bravo, **Scott** !
É.

Posts les plus consultés de ce blog

A square for three (chess)

juin 22, 2024

(English translation after the French text) Voici cinq problèmes d'échecs disjoints : a) combien faut-il de coups au minimum pour que trois pions soient capturés sur la même case ? b) trois tours c) trois c ...

LIRE LA SUITE

Le tripalin se présente

avril 11, 2024

Un tripalin est constitué de trois images. Chaque image illustre un substantif. Accolés, ces trois substantifs forment une chaîne palindromique. Laquelle nous vous invitons à trouver. Exem ...

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Some strings au cinéma Galeries

juillet 19, 2024

Lettre ouverte au cinéma Galeries Bonsoir à tous, Je viens de voir pour la seconde fois chez vous le beau film de Léos Carax (la première fois c'était le 26 juin en présence du réalisateur, au BRIFF). Apparut à l'écran aujourd'hui, avant la projection propre ...

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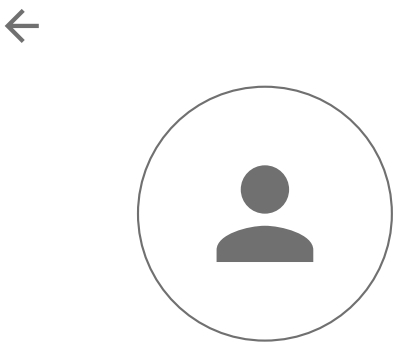

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