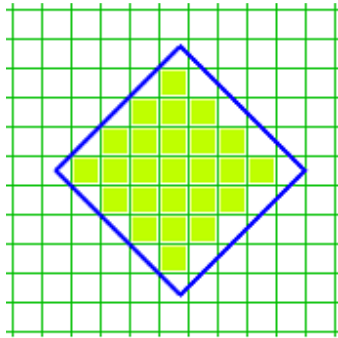
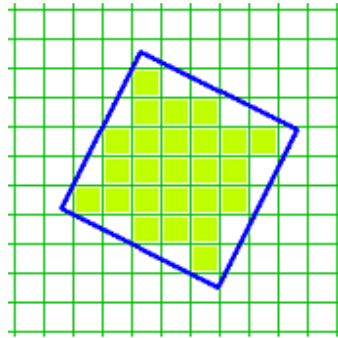


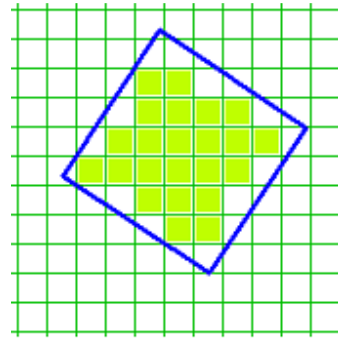
For $n=5$ there are two maximal polyominoes known that, properly slanted, fit the $n \times n$ square. For $n=6$ there are 5 such maximal polyominoes known:



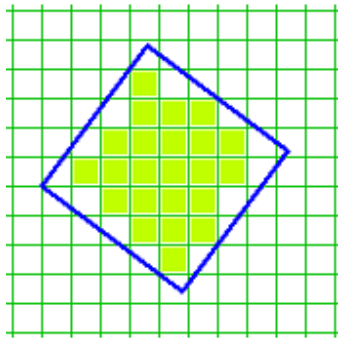
Pic.1



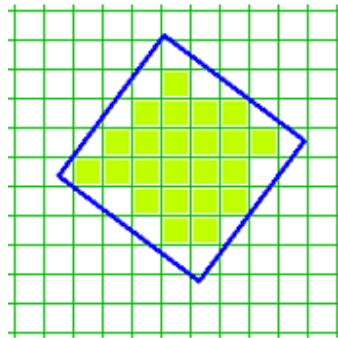
Pic.2



Pic.3



Pic.4

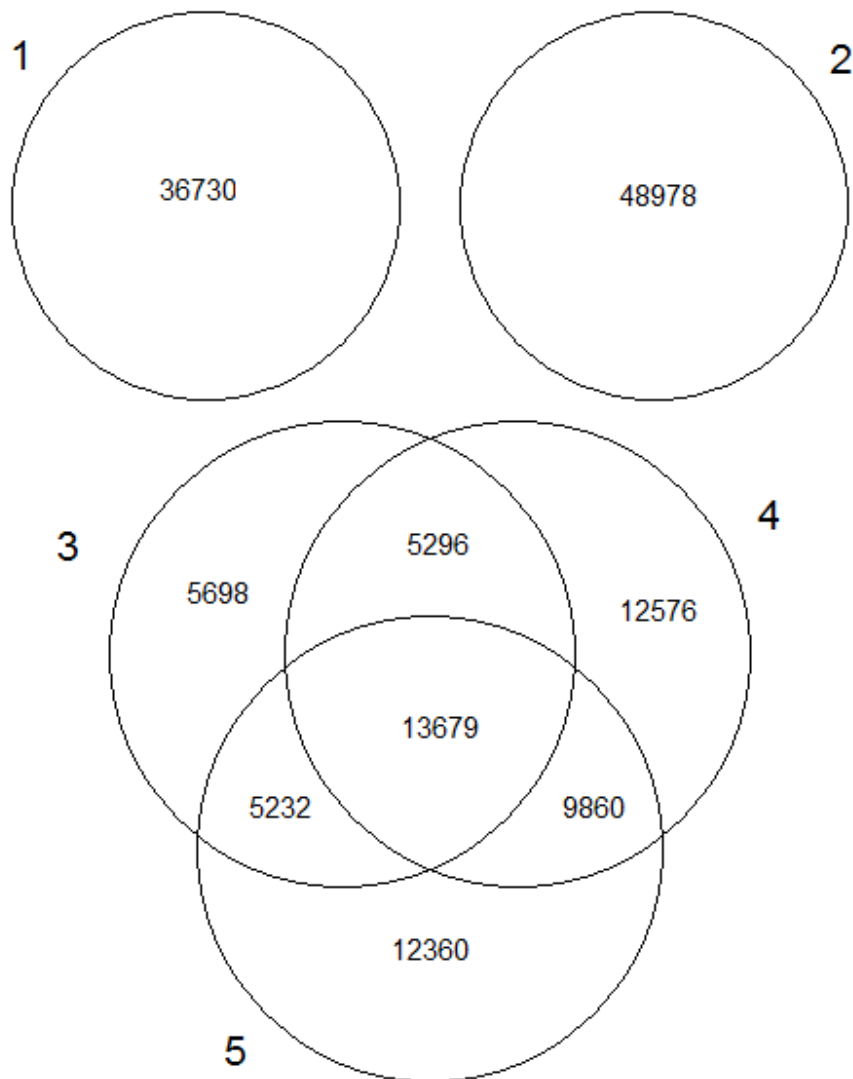


Pic.5

The slanted squares 6×6 that contain these maximal polyominoes are determined by the fractional parts of the coordinates of the "leftmost" vertex and the slope:

1. $(1/2, 1/2); -1$
2. $(3/5, 1/5); -1/2$
3. $(7/13, 4/13); -2/3$
4. $(0, 0); -3/4$
5. $(13/25, 9/25); -3/4$

The following diagram shows the number of polyominoes that are contained in these maximal polyominoes, and do not fit the original, "aligned" square.



Altogether: 150409 polyominoes.
 Therefore: $A_{268427}(6) = A_{268416}(6) + 150409$.

As the diagram shows, some "slanted" polyominoes are contained in two or three maximal polyominoes; this can also be read directly from Pictures 1-5.