

Merit Factor Records

The following is a list of the largest known merit factors of binary sequences.

Where possible, sequences of length 60 or more are attributed to their original discoverers. The history of the sequences of length less than 60 is not completely clear. The list of best known merit factors published by Marcel Golay in [Golay82] is used as a starting point. Together with the results of his own computation [Golay77], the list compiled the earlier work of Lindner (an exhaustive computation up to length 40 [Lindner]) and Turyn (an exhaustive computation up to 32). Besides a couple of typos, it contained the maximal merit factors of all sequences of lengths up to 40 and of skew-symmetric sequences up to length 59. Recently, the merit factors of all sequences of lengths up to 60 have been computed exhaustively by Stephan Mertens and Heiko Bauke [Mertens]. It's interesting to note that it took 25 years from when Golay first published the sequence at length 59 in 1977 to confirm that it is indeed the maximal merit factor. That should give some idea of the computational magnitude of the problem! The attributions for the records are derived from the following sources:

[Bauke] Heiko Bauke, a student of Stephan Mertens, found the sequences at lengths 59, 60, 61, 62, and 64 in Feb. 2002.

[BCH] G.F.M. Beenker, T.A.C.M. Claasen, and P.W.C. Hermens, "Binary sequences with a maximally flat amplitude spectrum", *Philips J. Res.*, vol. 40, pp 289-304, 1985.

[Golay77] M.J.E. Golay, "Sieves for low autocorrelation binary sequences", *IEEE Trans. on Information Theory*, vol. 23, pp. 43-51, 1977.

[Golay82] M.J.E. Golay, "The merit factor of long low autocorrelation skew-symmetric binary sequences", *IEEE Trans. on Information Theory*, vol. 28, pp. 543-549, 1982.

[GH] M.J.E. Golay and D.B. Harris, "A new search for skewsymmetric binary sequences with optimal merit factors", *IEEE Trans. on Information Theory*, vol. 36, pp. 1163-1166, 1990.

[Jedwab] Jonathan Jedwab, first reported the merit factor at length 81.

[Lindner] J. Lindner, "Binary sequences up to length 40 with best possible autocorrelation function", *Electronics Letters*, vol. 2, pp. 507, 1975.

[Mertens] S. Mertens, "Exhaustive search for low-autocorrelation binary sequences", *J. Phys. A.*, vol. 29, pp. L473-L481, 1996. Up to date results can be found at: Ground states of the Bernasconi model with open boundary conditions.

[MZB] B. Militzer, M. Zamparelli, D. Beule, "Evolutionary search for low autocorrelated binary sequences", *IEEE Transactions on Evolutionary Computation*, (submitted). Results can be found on Burkhard Militzer's website Low autocorelated binary sequences.

[Reinholz] : Andreas Reinholz's website, "The aperiod Autocorrelation Problem of binary sequences".


The site is no longer available.

Our own results are highlighted in **bold font**.

Note that in [BCH] a sequence of length 75 with merit factor 9.248 is reported. Careful examination of the paper reveals that this is a misprint, the sequence presented has merit factor 8.248.














Please let me know if any of these records are not attributed correctly or you have results that you would like added.

About the sequences:

- Records at lengths that have an "*" appended were not determined by exhaustive methods, larger merit factors may exist.
- Where possible, all sequences that achieve the maximal merit factor are listed.
- Since 1) reversing the sign of all elements in a sequence, 2) reversing the order of the elements of a sequence, and 3) reversing the sign of every second element in a sequence do not affect the energy, we only list unique sequences up to these three symmetries.
- Sequences are encoded in run-length format (i.e. 2 1 1 2 = {+1, +1, -1, +1, -1, -1}).
- To see a detailed description of each sequence click the  button next to it.

Comma-separated sequences.

Maple format sequences.

Length (N)	Energy (E)	Merit Factor (N ² /2E)	Sequences	Date Found	Ref.
4	2	4	3 1, 		
5	2	6.25	3 1 1, skew-symmetric, 		
6	7	2.5714	4 1 1,  3 2 1,  3 1 2,  2 1 1 2, 		
7	3	8.1667	3 2 1 1, skew-symmetric, 		
8	8	4	4 2 1 1,  2 4 1 1, 		
9	12	3.375	4 2 1 1 1, skew-symmetric,  3 2 2 1 1, skew-symmetric,  2 5 1 1,  3 1 1 2 2, 		

10	13	3.8462	5 2 1 1 1, G_2 4 2 2 1 1, G_2 4 1 1 2 2, G_2 3 3 1 2 1, G_2 3 1 1 1 2 2, G_2	.
11	5	12.1	3 3 1 2 1 1, skew-symmetric, G_2	.
12	10	7.2	5 2 2 1 1 1, G_2 4 1 1 1 2 2 1, G_2	.
13	6	14.083	5 2 2 1 1 1 1, skew-symmetric, G_2	.
14	19	5.1579	6 2 2 1 1 1 1, G_2 5 2 2 2 1 1 1, G_2 5 2 2 1 1 1 2, G_2 5 3 1 1 1 2 1, G_2 5 1 1 1 2 2 2, G_2 4 2 2 1 1 1 1 2, G_2 4 1 1 1 2 2 2 1, G_2 3 3 1 1 1 2 1 2, G_2 4 1 1 1 1 2 2 2, G_2	.
15	15	7.5	5 2 2 2 1 1 1 1, skew-symmetric, G_2 3 3 1 3 1 2 1 1, skew-symmetric, G_2	.
16	24	5.3333	6 3 2 2 1 1 1, G_2 3 4 1 2 1 3 1 1, G_2 2 2 5 1 1 1 1 2 1, G_2 2 1 1 2 1 1 3 1 3 1, G_2	.
17	32	4.5156	4 2 2 1 2 1 1 1 1 2, G_2 4 4 1 2 1 3 1 1, G_2 3 6 1 1 1 2 2 1, G_2 2 5 2 2 1 1 1 2 1, skew-symmetric, G_2 2 3 1 3 1 1 2 1 1 2, G_2 2 1 1 1 1 4 2 2 1 2, G_2	.
18	25	6.48	5 1 1 2 1 1 3 2 2, G_2 4 4 1 1 1 2 2 2 1, G_2	.
19	29	6.2241	4 1 1 1 1 4 2 2 1 2, G_2	.
20	26	7.6923	5 1 1 3 1 1 2 3 2 1, G_2	.
21	26	8.4808	2 7 2 2 1 1 1 1 1 2 1, skew-symmetric, G_2	.
22	39	6.2051	6 3 2 1 1 1 1 1 2 2 1 1, G_2 5 1 1 1 1 1 2 1 2 2 3 2, G_2 5 1 2 2 1 1 1 1 2 3 3, G_2	.
23	47	5.6277	8 3 2 1 1 1 1 2 2 1 1, G_2 3 1 4 1 2 1 1 3 1 1 3 2, G_2 2 3 6 1 1 1 1 2 1 2 1 2, G_2	.

24	36	8	2 2 3 6 1 1 1 1 1 2 1 2 1, G_{61}	
25	36	8.6806	3 3 7 1 1 1 1 2 1 2 2 1, G_{61}	
26	45	7.5111	6 3 2 3 1 1 1 1 1 2 1 2 1 1, G_{61} 3 2 3 6 1 1 1 1 1 2 1 2 1 1, G_{61} 2 2 3 6 1 1 1 1 1 2 1 2 1 2, G_{61}	
27	37	9.8514	3 4 3 1 3 1 3 1 2 1 1 2 1 1, skew-symmetric, G_{61}	
28	50	7.84	3 4 3 1 3 1 3 1 2 1 1 2 1 2, G_{61}	
29	62	6.7823	3 2 3 7 1 1 1 1 1 2 1 2 2 1 1, skew-symmetric, G_{61} 2 1 2 1 1 2 1 3 1 3 1 3 4 3 1, skew-symmetric, G_{61}	
30	59	7.6271	5 5 1 2 1 2 1 1 1 1 1 3 2 3 1, G_{61} 4 6 1 2 1 2 1 1 1 1 1 3 2 3 1, G_{61}	
31	67	7.1716	7 3 3 2 2 1 2 2 1 1 1 1 2 1 1 1, G_{61}	
32	64	8	7 1 1 1 2 1 1 1 1 3 3 2 2 1 2 2 1, G_{61}	
33	64	8.5078	7 4 2 1 1 2 1 1 1 1 1 1 1 2 2 2 2 1, G_{61}	
34	65	8.8923	8 4 2 1 1 2 1 1 1 1 1 1 1 2 2 2 2 1, G_{61}	
35	73	8.3904	7 1 2 2 1 2 2 1 1 1 1 2 1 1 1 1 3 3 2, G_{61}	
36	82	7.9024	3 6 3 2 3 1 1 1 3 1 2 1 2 1 1 1 2 1 1, G_{61}	
37	86	7.9593	8 4 4 2 1 1 2 1 1 1 1 1 1 2 2 2 2 1, G_{61}	
38	87	8.2989	8 4 4 2 1 1 2 1 1 1 1 1 1 1 2 2 2 2 1, G_{61}	
39	99	7.6818	8 2 1 2 1 1 2 1 2 3 4 3 2 1 1 1 1 1 1 1, skew-symmetric, G_{61} 2 3 2 4 1 1 7 1 1 1 1 1 4 1 1 2 2 1 2 1, skew-symmetric, G_{61}	
40	108	7.4074	2 1 3 1 3 1 3 4 1 3 4 3 1 1 2 1 1 2 1 1 1, G_{61}	
41	108	7.7824	3 4 3 1 1 1 1 1 1 2 2 2 2 8 1 2 1 1 2 1 1, skew-symmetric, G_{61}	
42	101	8.7327	2 1 1 2 1 1 2 1 1 3 4 3 1 4 3 1 3 1 3 1 3, G_{61}	
43	109	8.4817	3 1 2 2 1 1 2 1 2 7 1 1 1 1 1 2 3 4 2 3 1 1, skew-symmetric, G_{61}	
44	122	7.9344	2 5 5 2 2 5 1 4 1 3 1 2 1 1 1 2 2 1 1 1 1 1, G_{61}	

45	118	8.5805	8 2 1 2 1 1 2 1 2 3 1 2 3 4 3 2 1 1 1 1 1 1 1, skew-symmetric, G_{11}
46	131	8.0763	8 2 3 4 3 1 2 3 1 2 1 1 2 1 2 2 1 1 1 1 1 1 1 1, G_{11} 8 2 1 2 1 1 2 1 2 3 1 2 3 4 3 2 1 1 1 1 1 1 1 1, G_{11} 2 3 4 2 3 2 1 3 7 1 1 1 2 1 2 2 1 2 1 1 1 1 1 1, G_{11}
47	135	8.1815	9 2 3 4 3 1 2 3 1 2 1 1 2 1 2 2 1 1 1 1 1 1 1 1, skew-symmetric, G_{11} 4 2 9 4 2 2 2 2 2 1 1 2 1 1 1 1 1 1 1 2 2 1 1 1, skew-symmetric, G_{11} 3 8 3 4 2 2 1 3 2 2 1 1 2 1 2 1 1 1 1 1 1 2 1 1, skew-symmetric, G_{11} 2 1 2 1 0 2 1 1 2 1 2 3 4 2 1 1 1 1 1 1 1 1 2 3 1, skew-symmetric, G_{11} 2 3 6 3 3 1 6 1 1 1 1 3 1 2 1 2 1 1 1 1 2 1 2 1, skew-symmetric, G_{11} 2 4 2 1 2 4 2 1 3 1 3 1 1 3 1 4 1 1 1 2 1 1 1 4, G_{11}
48	140	8.2286	2 4 4 2 2 3 2 1 2 1 1 3 2 1 2 1 1 1 1 1 1 8 1 1, G_{11}
49	136	8.8272	3 3 3 7 3 1 3 2 2 1 3 1 2 1 1 1 1 2 1 2 1 2 1 1, skew-symmetric, G_{11} 2 1 1 4 1 1 4 1 1 2 2 4 1 1 2 2 4 1 3 1 3 1 1 1 3 1, G_{11}
50	153	8.1699	2 4 1 1 4 1 1 4 2 2 1 1 4 2 2 1 1 3 1 3 1 5 1 2, G_{11} 3 3 3 7 3 1 3 2 2 1 3 1 2 1 1 1 1 2 1 2 1 2 1 1 1, G_{11} 3 4 5 2 1 8 1 3 2 2 2 1 1 2 1 1 1 2 2 1 1 1 1 1 1, G_{11}
51	153	8.5	2 3 4 3 2 1 1 1 1 4 1 3 1 3 1 1 6 2 1 2 1 1 2 1 2 1, skew-symmetric, G_{11}
52	166	8.1446	2 3 3 3 2 1 3 2 2 1 3 1 1 1 1 1 2 1 2 1 2 1 6 1 1 5, G_{11}
53	170	8.2618	2 2 1 1 4 4 2 2 2 2 1 1 2 1 1 2 1 1 1 1 1 1 1 1 1 2 2 1, skew-symmetric, G_{11} 2 6 5 2 2 3 1 3 1 1 1 2 2 1 2 1 5 1 4 1 1 1 2 1 1 1, G_{11}
54	175	8.3314	2 9 2 2 2 4 3 3 1 1 3 1 1 1 1 2 2 2 1 1 1 1 2 1 1 1 2 1 1, G_{11}

55	171	8.845	921212321211432123321 1111111, skew-symmetric, Gol 32321041124112111111 12212211, skew-symmetric, Gol		
56	192	8.1667	761223112324111113211 2122111, Gol		
57	188	8.6409	332326311111271211112 21221211, skew-symmetric, Gol		
58	197	8.5381	613212312111111311234 1221121241, Gol		
59	205	8.4902	772412242112231122111 112111111, skew-symmetric, Gol 242121122143211311111 1213212316, Gol		
60	218	8.2569	222112223112421131111 141211167, Gol 241111441111311211221 161522221, Gol	02/10/02	[Bauke]
61*	226	8.2323	314162331211111131112 125621211, Gol	02/10/02	[Bauke]
62*	235	8.1787	221222115121145111711 111232323, Gol 102322321213531122111 1112113112, Gol	02/10/02	[Bauke]
63*	207	9.5870	221222115121145111711 1112323231, Gol		
64*	208	9.8462	212212212711111511121 143111422322, Gol	02/10/02	[Bauke]
65*	240	8.8021	323224111341121115111 117212212212, Gol		
66*	257	8.4747	24542221111111122211 2221121112112, Gol		
67*	241	9.3133	114123234411211212212 31121111111111, skew-symmetric, Gol 24542221111111122211 22211211121121, skew-symmetric, Gol 621612122533121211122 3311113211111, skew-symmetric, Gol		[BCH]

68*	250	9.248	10 1 1 4 1 1 2 1 1 1 1 1 2 2 1 2 3 2 1 2 2 1 1 1 3 1 1 3 4 2 2 3 3 1, <small>Ge!</small>	
69*	274	8.6880	11 1 1 4 1 1 2 1 1 1 1 1 2 2 1 2 3 2 1 2 2 1 1 1 3 1 1 3 4 2 2 3 3 1, <small>Ge!</small>	
70*	295	8.3051	2 4 1 2 4 4 1 2 4 1 7 2 2 2 2 1 1 1 1 1 3 1 1 2 3 1 1 2 1 1 2 3 1 1 2, <small>Ge!</small> 9 1 2 3 2 1 1 1 2 4 1 1 1 1 3 1 1 3 2 2 2 1 1 1 1 1 4 3 1 1 2 1 1 2 2 1 2 1, <small>Ge!</small>	
71*	275	9.1655	2 4 1 2 4 4 1 2 4 1 7 2 2 2 2 1 1 1 1 1 3 1 1 2 3 1 1 2 1 1 2 3 1 1 2 1, skew-symmetric, <small>Ge!</small>	[BCH]
72*	300	8.64	2 2 2 4 2 2 2 2 1 2 4 1 2 2 1 1 5 1 1 7 1 4 4 4 1 1 1 4 1 1 1 1 1 1 1, <small>Ge!</small>	
73*	308	8.6510	4 7 3 2 2 3 1 7 1 4 1 1 2 1 2 1 1 1 3 1 1 2 2 1 1 3 2 1 1 3 2 1 1 1 1 1 1, <small>Ge!</small>	
74*	341	8.0293	3 2 4 2 2 1 2 5 1 5 1 2 2 1 1 1 1 2 2 4 1 2 1 1 1 1 2 1 3 5 1 1 4 1 1 3 1, <small>Ge!</small> 6 5 2 1 2 5 1 6 2 2 2 1 3 3 2 4 2 2 1 1 1 1 1 1 1 1 1 2 1 1 1 2 1 2 1 1 1 1, <small>Ge!</small> 5 3 5 1 1 2 2 1 1 2 2 1 2 1 3 2 2 2 1 1 1 1 3 1 1 1 2 3 2 1 1 1 2 1 1 1 1 1, <small>Ge!</small>	
75*	329	8.5486	7 1 1 1 5 1 1 1 1 4 4 3 3 2 1 1 1 1 4 3 1 3 2 2 2 1 3 2 1 2 1 2 1 2 2 1 1, <small>Ge!</small>	
76*	334	8.6467	7 1 1 1 5 1 1 1 1 4 4 3 3 2 1 1 1 1 4 3 1 3 2 2 2 1 3 2 1 2 1 2 1 2 2 1 2, <small>Ge!</small>	
77*	358	8.2807	5 1 2 1 7 4 1 1 2 1 2 2 1 1 2 2 2 1 3 2 2 4 2 3 4 1 1 2 1 1 1 1 1 3 3 1 1 1 1, skew-symmetric, <small>Ge!</small>	[GH]
78*	347	8.7666	5 3 3 3 1 3 3 3 1 1 9 2 1 2 2 1 2 1 2 1 1 1 2 1 2 3 1 2 1 1 1 1 3 2 1 1 1 1 1 2, <small>Ge!</small>	
79*	339	9.2050	7 2 2 1 2 2 1 2 1 2 1 3 3 1 2 6 1 1 1 1 2 1 1 2 1 1 1 2 2 3 2 1 1 1 1 1 1 1 1 4 3 3 1, <small>Ge!</small>	02/23/03
80*	352	9.0909	1 1 1 1 6 4 1 1 3 1 2 2 1 1 1 1 3 2 1 1 3 3 3 2 2 2 2 1 1 2 1 1 1 1 2 2 1 1 2 1 1 1, <small>Ge!</small>	02/06/03
81*	372	8.8185	2 4 1 1 1 1 3 3 3 7 1 1 1 1 1 1 2 1 1 5 1 4 2 1 1 2 1 1 3 1 5 2 1 2 2 2 2 3 1 2 1, <small>Ge!</small>	[Jedwab]

82*	377	8.9178	861343413131213211113 3111123122112121121, Gol	
83*	377	9.1366	323633231172611112211 111412212121111212211, skew-symmetric, Gol	[GH]
84*	430	8.2047	221221221752631111111 112111114121112121423 23, Gol	
85*	414	8.7258	213132331316134431163 12125112121111212111, Gol	
86*	439	8.4237	312133121361611231221 122141111241342111331, Gol	03/23/03
87*	431	8.7807	91111111111211147432 112312122121121122232 2221, Gol	03/18/03
88*	448	8.6429	91111111111211147432 112312122121121122232 2222, Gol	03/18/03
89*	432	9.1678	102121212421213212522 341121111211332111131 11112, Gol	02/06/03
90*	453	8.9404	102121212421213212522 341121111211332111131 11113, Gol	03/14/03
91*	477	8.6803	212141611221121111121 132122232147424111131 1331, skew-symmetric, Gol	[GH]
92*	498	8.4980	126511322222311111112 112111122112212112333 32111, Gol	03/18/03
93*	486	8.8981	136511322222311111112 112111122112212112333 32111, Gol	03/18/03
94*	499	8.8537	136511322222311111112 112111122112212112333 32112, Gol	03/18/03
95*	479	9.4207	322322358115111351112 151114111111211121222 122211, skew-symmetric, Gol	[GH]

96*	520	8.8615	3 15 1 1 4 6 4 3 3 3 2 1 1 1 2 1 1 2 1 1 1 1 1 1 1 1 1 1 2 2 1 2 1 1 2 2 2 1 1 2 2 2 2 2 2 2 1, Gol	03/18/03	
97*	536	8.7771	5 1 1 1 4 1 5 3 2 1 1 3 2 2 2 1 1 3 2 1 4 3 1 2 1 1 3 2 1 4 2 2 2 1 4 2 1 2 1 1 1 3 1 1 5 1 1 1 1, skew-symmetric, Gol 4 1 5 1 1 4 6 4 3 3 3 2 1 1 1 2 1 1 2 1 1 1 1 1 1 1 1 1 1 2 2 1 2 1 1 2 2 2 1 1 2 2 2 2 2 2 2 1, Gol	[GH]	
98*	545	8.8110	4 1 5 1 1 4 6 4 3 3 3 2 1 1 1 2 1 1 2 1 1 1 1 1 1 1 1 1 1 2 2 1 2 1 1 2 2 2 1 1 2 2 2 2 2 2 2 1, Gol	03/18/03	
99*	577	8.4931	5 2 5 5 2 1 2 2 1 2 1 0 3 1 1 2 2 4 1 1 2 2 4 1 2 1 1 1 1 1 1 1 1 2 3 2 3 2 1 1 1 2 1 1 1 2 2 1 1 1 1, skew-symmetric, Gol	[MZB]	
100*	578	8.6505	6 2 5 5 2 1 2 2 1 2 1 0 3 1 1 2 2 4 1 1 2 2 4 1 2 1 1 1 1 1 1 1 1 2 3 2 3 2 1 1 1 2 1 1 1 2 2 1 1 1 1, Gol		
101*	578	8.8244	6 2 5 5 2 1 2 2 1 2 1 0 3 1 1 2 2 4 1 1 2 2 4 1 2 1 1 1 1 1 1 1 1 2 3 2 3 2 1 1 1 2 1 1 1 2 2 1 1 1 1 1, skew-symmetric, Gol	[MZB]	
102*	567	9.1746	3 5 6 4 2 4 3 3 1 1 1 2 1 2 2 1 1 1 1 1 3 1 1 1 2 2 2 2 3 2 2 1 1 2 1 9 1 2 1 1 1 1 2 1 1 1 1 2 1 3 1 2, Gol	03/24/03	
103*	555	9.5577	2 4 5 2 6 8 1 2 2 2 2 1 3 1 1 1 2 2 5 1 1 1 2 2 5 1 3 2 2 2 3 1 1 1 1 1 1 2 1 1 1 1 2 2 1 1 1 2 1 1 2 1, skew-symmetric, Gol	[Bernasconi]	
104*	612	8.8366	3 4 5 2 6 8 1 2 2 2 2 1 3 1 1 1 2 2 5 1 1 1 2 2 5 1 3 2 2 2 3 1 1 1 1 1 1 2 1 1 1 1 2 2 1 1 1 2 1 1 2 1, Gol	02/06/03	
105*	620	8.8911	1 0 1 2 1 1 1 2 1 1 2 1 4 1 1 2 1 3 1 1 2 1 3 2 2 2 1 2 2 3 2 2 2 1 3 4 1 3 4 1 1 3 4 5 3 1 1 1 1 1 1 1 1 1, skew-symmetric, Gol	[GH]	
106*	701	8.0143	5 1 2 2 6 5 5 1 2 2 2 4 5 1 5 1 1 2 2 4 1 1 1 3 1 1 1 2 1 1 2 2 2 3 1 1 1 2 1 1 1 2 1 1 1 1 2 2 3 1 1 1 2, Gol 2 2 7 3 1 1 8 3 1 1 1 1 2 2 4 1 1 3 3 4 2 2 2 1 1 2 1 2 1 4 1 1 2 2 6 1 2 1 1 1 1 1 1 4 1 2 1 1 1 1 1 2 2, Gol	02/11/03	

107*	677	8.4557	227311831111224113342 221121214112261211111 141211111221, skew-symmetric, G_{677}	[GH]
108*	702	8.3077	334111111243114111113 322225111222221217114 121128112121, G_{702}	02/11/03
109*	662	8.9736	334111111243114111113 322225111222221217114 1211281121211, skew-symmetric, G_{662}	[GH]
110*	723	8.3679	277124122411331111333 222121216121411223112 311112111112, G_{723} 612212121312712111411 241212331124115311111 2313332311112, G_{723}	02/11/03
111*	687	8.9672	211113233313211111351 142113321214211411121 72131212122161, skew-symmetric, G_{687}	[GH]
112*	788	7.9594	343134431321111111111 334122231121211221312 112112131211212, G_{788}	04/03/03
113*	752	8.4900	4555122142121212122 23111111111233321132 3111211121112111, skew-symmetric, G_{752} 231332171323311541212 112134331121114121221 311111321213121, skew-symmetric, G_{752}	[GH]
114*	817	7.9535	451131221251221111226 111242112511112262311 1232314111211112, G_{817}	04/03/03
115*	745	8.8758	551113514531112211312 12222223314251211121 1311121511121111, skew-symmetric, G_{745}	[GH]
116*	814	8.2654	551113514531112211312 12222223314251211121 13111215111211111, G_{814}	02/23/03

117*	786	8.7080	3 7 1 1 7 3 1 2 1 1 1 2 2 1 1 1 1 1 3 3 2 2 2 4 2 4 1 1 2 2 1 1 2 2 2 2 1 2 1 7 2 5 3 1 2 1 1 1 1 1 4 1 1 1 1 1 2 1 1, skew-symmetric, <small>Ge!</small>		[GH]
118*	847	8.2196	3 1 2 1 6 1 4 1 2 1 2 2 1 2 3 4 1 1 1 2 1 1 1 1 3 1 4 1 1 1 3 2 1 5 1 1 3 1 6 5 1 1 2 1 2 3 2 3 3 1 1 3 1 1 1 1 3 3 1, <small>Ge!</small>	02/23/03	
119*	835	8.4796	3 1 2 1 6 1 4 1 2 1 2 2 1 2 3 4 1 1 1 2 1 1 1 1 3 1 4 1 1 1 3 2 1 5 1 1 3 1 6 5 1 1 2 1 2 3 2 3 3 1 1 3 1 1 1 1 3 3 1 1, skew-symmetric, <small>Ge!</small>		[Reinholz]
120*	872	8.2569	9 1 1 9 1 1 3 4 2 1 1 3 2 1 2 3 1 1 2 1 2 1 2 2 3 2 2 1 2 2 3 3 4 1 2 3 2 1 4 2 1 1 2 1 4 1 1 1 1 1 1 1 4 1 1 1 1 1 1 1 1, <small>Ge!</small> 4 1 2 1 6 1 4 1 2 1 2 2 1 2 3 4 1 1 1 2 1 1 1 1 3 1 4 1 1 1 3 2 1 5 1 1 3 1 6 5 1 1 2 1 2 3 2 3 3 1 1 3 1 1 1 1 3 3 1 1, <small>Ge!</small>	02/28/03	
121*	844	8.6736	9 1 1 9 1 1 3 4 2 1 1 3 2 1 2 3 1 1 2 1 2 1 2 2 3 2 2 1 2 2 3 3 4 1 2 3 2 1 4 2 1 1 2 1 4 1 1 1 1 1 1 1 4 1 1 1 1 1 1 1 1, skew-symmetric, <small>Ge!</small>		[MZB]
122*	885	8.4090	9 1 1 9 1 1 3 4 2 1 1 3 2 1 2 3 1 1 2 1 2 1 2 2 3 2 2 1 2 2 3 3 4 1 2 3 2 1 4 2 1 1 2 1 4 1 1 1 1 1 1 1 4 1 1 1 1 1 1 1 2, <small>Ge!</small>	03/04/03	
123*	893	8.4709	2 2 1 2 2 1 1 3 1 1 3 1 1 2 5 3 3 1 1 2 3 1 6 2 1 1 1 1 1 2 1 1 1 1 6 7 2 1 1 1 1 3 1 2 4 1 2 1 2 1 1 1 2 4 1 4 1 4 2 3 2 1, skew-symmetric, <small>Ge!</small>	03/06/03	
124*	922	8.3384	1 2 2 1 2 2 1 1 3 1 1 3 1 1 2 5 3 3 1 1 2 3 1 6 2 1 1 1 1 1 2 1 1 1 1 6 7 2 1 1 1 1 3 1 2 4 1 2 1 2 1 1 1 2 4 1 4 1 4 2 3 2 1, <small>Ge!</small>	03/06/03	
125*	846	9.2346	3 3 4 4 1 1 1 1 1 4 2 3 1 1 1 1 8 2 3 3 1 4 1 1 3 2 2 2 2 2 1 4 1 1 3 1 2 1 2 2 1 1 1 1 1 1 6 1 2 2 1 1 7 1 1 2 1 1 2 1 2 1 1, skew-symmetric, <small>Ge!</small>		[Reinholz]
126*	875	9.0720	4 3 4 4 1 1 1 1 1 4 2 3 1 1 1 1 8 2 3 3 1 4 1 1 3 2 2 2 2 2 1 4 1 1 3 1 2 1 2 2 1 1 1 1 1 1 6 1 2 2 1 1 7 1 1 2 1 1 2 1 2 1 1, <small>Ge!</small>	03/06/03	

127*	887	9.0919	5 3 2 3 1 3 2 6 3 2 8 4 1 3 3 4 2 1 1 5 1 3 1 1 1 4 2 1 1 2 1 2 1 3 1 1 2 1 1 1 1 1 1 2 2 1 2 1 1 1 1 2 2 1 3 1 2 2 1 2 1 1 1 1, skew-symmetric, G_{21}		[Reinholz]
128*	932	8.7897	5 3 2 3 1 3 2 6 3 2 8 4 1 3 3 4 2 1 1 5 1 3 1 1 1 4 2 1 1 2 1 2 1 3 1 1 2 1 1 1 1 1 1 2 2 1 2 1 1 1 1 2 2 1 3 1 2 2 1 2 1 1 1 1 1, G_{21}	03/06/03	
129*	920	9.0440	3 3 2 3 5 3 2 3 2 2 3 2 1 1 1 4 7 1 1 0 1 1 1 2 1 3 5 1 1 1 1 1 1 1 1 3 1 1 1 1 1 2 1 1 5 2 1 2 2 2 1 2 2 1 2 1 1 1 2 1 2 2 1 2 1 1, skew-symmetric, G_{21}		[Reinholz]
130*	945	8.9418	4 3 2 3 5 3 2 3 2 2 3 2 1 1 1 4 7 1 1 0 1 1 1 2 1 3 5 1 1 1 1 1 1 1 1 3 1 1 1 1 1 2 1 1 5 2 1 2 2 2 1 2 2 1 2 1 1 1 2 1 2 2 1 2 1 1, G_{21}	03/06/03	
131*	913	9.3981	6 3 6 3 1 1 3 2 3 1 3 2 3 3 4 2 3 3 1 2 1 3 3 1 2 1 2 2 1 1 2 1 2 1 2 2 1 3 1 2 2 1 2 1 1 1 1 1 1 1 1 1 2 1 2 1 1 1 1 2 1 2 1 1 1 1 1, skew-symmetric, G_{21}		[Reinholz]
132*	1014	8.5917	6 3 6 3 1 1 3 2 3 1 3 2 3 3 4 2 3 3 1 2 1 3 3 1 2 1 2 2 1 1 2 1 2 1 2 2 1 3 1 2 2 1 2 1 1 1 1 1 1 1 1 1 2 1 2 1 1 1 1 2 1 2 1 1 1 1 2, G_{21}	03/06/03	
133*	1010	8.7569	4 2 2 1 1 0 1 1 2 5 1 1 3 2 2 2 1 1 5 1 1 4 3 3 3 1 2 1 1 4 3 1 2 1 2 1 2 1 1 4 1 1 1 4 2 2 2 1 4 1 1 1 2 4 1 1 1 1 1 1 1 1 3 2 2 1 1 1, skew-symmetric, G_{21}		[Reinholz]
134*	1063	8.4459	7 3 2 2 3 2 2 7 5 5 1 1 1 5 1 2 4 1 2 1 2 1 4 2 2 2 1 1 3 3 3 1 1 2 3 1 1 1 5 1 1 1 2 1 1 1 2 1 1 1 1 1 2 2 2 1 2 2 2 1 2 1 1 1 1 1 2, G_{21}	03/16/03	
135*	1027	8.8729	2 1 1 1 1 1 2 1 2 2 2 1 2 2 2 1 1 1 1 1 2 1 1 1 2 1 1 1 5 1 1 1 3 2 1 1 3 3 3 1 1 2 2 2 4 1 2 1 2 1 4 2 1 5 1 1 1 5 5 7 2 2 3 2 2 3 7 1, skew-symmetric, G_{21}		[Reinholz]
136*	1076	8.5948	2 1 1 2 1 1 1 2 1 1 1 1 2 1 1 1 1 1 2 2 2 2 2 1 2 1 4 1 2 1 1 2 2 1 1 2 3 1 1 1 1 1 1 1 1 1 1 2 1 2 1 2 4 2 4 3 1 1 3 3 2 2 2 2 7 6 5 4 2, G_{21}	03/06/03	