Hello (again) SeqFan \& Math-fun,
Here are a few Kimberlike sequences computed by Gilles Sadowski (for $k=2$ to $k=10$; see a short explanation here),
Best,
É.
[ $k=2$ is A026272]








 [Currently missing integers for $k=10$ after computation of sequence's first 5000 terms:

P. $-S$.

A short time after this post, Hugo P. replied to SeqFan (march 10th, 2006):
$\qquad$

I have every confidence that every $n$ will appear in the sequence for any $k$, but no idea how you might prove it.
I knocked up a program to find where 2 would get inserted for various $k$ :

| $k$ | $n$ | used | shown | passed | seq |
| ---: | ---: | ---: | ---: | ---: | ---: |
| 2 | 2 | 1 | 1 | 0 | 1 |
| 3 | 2 | 11 | 24 | 1 | 23 |
| 4 | 2 | 18 | 48 | 5 | 60 |
| 5 | 2 | 5 | 12 | 3 | 36 |
| 6 | 2 | 346 | 1384 | 14 | 1785 |
| 7 | 2 | 5725 | 26336 | 70 | 34759 |
| 8 | 2 | 9833 | 50715 | 180 | 69998 |
| 9 | 2 | 38238 | 217258 | 734 | 311739 |
| 10 | 2 | 33637 | 211951 | 1238 | 313806 |

For $k=3$, these mean that when the first 2 appeared there were 24 numbers to its left in the sequence ('shown'), and 23 numbers (or holes) already known to its right ('seq'); 11 different numbers appeared before the first 2 ('used'), and 1 number had been 'passed' (ie out of 1..13, one number has not yet been used).

For $k=10$, $n$ in (1 . . 100), here are the 'used' values:
( $\mathrm{n}=1 \ldots 10$ ) 03363717960954864723759713366987742
$(\mathrm{n}=11 . .20) \quad 949117271915816438352391922413120918$
$(\mathrm{n}=21 . .30) 67986 \quad 98032 \quad 6 \quad 825943899343316 \quad 78810442742940$
$(\mathrm{n}=31 \ldots 40) \quad 10 \quad 102548 \quad 80105 \quad 15 \quad 104550 \quad 52375 \quad 58202 \quad 96393 \quad 22 \quad 42760$
$(\mathrm{n}=41.50) \quad 48638 \quad 1166769197331428 \quad 8049818 \quad 2614$
$(\mathrm{n}=51 \ldots 60) 361292532831851626380 \quad 81768 \quad 38333120103525$
$(n=61 \ldots 70) 3795730080647039227438747 \quad 2398316 \quad 750753132$
$(\mathrm{n}=71 \ldots 80) \quad 34 \quad 38622 \quad 17 \quad 6713942371 \quad 96870 \quad 48 \quad 24 \quad 2591412$
( $\mathrm{n}=81 \ldots 90$ ) $916527371446186 \quad 81232 \quad 27 \quad 30 \quad 2158 \quad 33$
$(\mathrm{n}=91 \ldots 100) 65989 \quad 9846265864 \quad 6366631 \quad 29 \quad 64 \quad 39 \quad 8223583836$
It took about 17 minutes to find them all; last to appear was 9:
$\begin{array}{rrrrrr}k & n & \text { used } & \text { shown } & \text { passed } & \text { seq } \\ 10 & 9 & 133669 & 840571 & 9207 & 1257313\end{array}$
and peak values of 'passed' and 'seq' (within the 100 results captured) appear at the previous number:
$\begin{array}{llllll}10 & 20 & 120918 & 764934 & 21958 & 1268672\end{array}$
Hope this helps,
Hugo

Thanks -- great job, Hugo!

